## Missing values in $\mathrm{R}^{*}$

```
> n = 15
> x = rpois(n,5)
> y = rpois(n,5); d = x-y
> cbind(x,y,d)
        x y d
    [1,] 9 3 6
    [2,] 1 5 -4
    [3,] 7 2 5
    [4,] 2 7 -5
    [5,] 6 3 3
    [6,] 4 3 1
    [7,] 1 5 -4
    [8,] 6 5 1
    [9,] 5 7 -2
    [10,] 3 1 2
    [11,] 6 5 1
    [12,] 7 5 2
    [13,] 6 6 0
[14,] 3 3 0
[15,] 5 6-1
>
> # How many ties?
> length(d[x==y])
[1] 2
> # Which ones are they?
> (1:n)[x==y]
[1] 13 14
>
> # Now introduce some missing values, and re-calculate d
> x[4] = NA; x[8] = NA
> y[3] = NA ; y[8] = NA; d = x-y
>
```

* Copyright information is on the last page.

```
> cbind(x,y,d)
            x y d
    [1,] 9}30
    [2,] 1 5 -4
    [3,] }7\mathrm{ NA NA
    [4,] NA }7\mathrm{ NA
    [5,] 6 3 3
    [6,] 4 3 1
    [7,] 1 5 -4
    [8,] NA NA NA
    [9,] 5 7 -2
    [10,] 3 1 2
    [11,] 6 5 1
    [12,] 7 5 2
    [13,] 6 6 0
    [14,] 3 3 0
    [15,] 5 6 -1
>
> # How many ties? The answer should be two, or maybe three. Two is better.
> length(d[x==y])
[1] 5
> # Which ones are they?
> (1:n)[x==y]
[1] NA NA NA 13 14
> # This should work.
> d[d==0]
[1] NA NA NA 0 0
>
> # Just to show you that != is "not equal to"
> index = 1:5; index[index != 4]
[1] 1 2 3 5
>
> d[d != 0]
    [1] 6 -4 NA NA 3
>
> # We see that NA matches BOTH logical conditions, maybe because when
> # R tries to do logic on NA, it can't, and so the result is NA.
>
> # This may explain the following:
> length(d[d != NA])
[1] }1
> length(d[d == NA])
[1] 15
```

```
>
> 3 == NA
[1] NA
> is.na(3)
[1] FALSE
> is.na(3) == F
[1] TRUE
>
>
> # Try this:
> length(d[x==y && is.na(x)==F && is.na(y)==F])
[1] 0
```

No doubt an expert can find a way around this, but also an honest, careful user can easily produce garbage.

Be particularly careful when sub-setting data, especially when sub-setting on a variable that might have missing values, like the crime for which a prisoner was originally arrested.

Or better, avoid using R when there are missing data.

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